Research Article

Data Tracking and Effect of Frequency Offset to Simultaneous Collecting Method for Wireless Sensor Networks

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1. Introduction

Recently, wireless sensor networks (WSN) can construct a new life style. Therefore WSN and the Machine to Machine (M2M) communication have attracted much attention [1]. Requirements for the WSN system are widely diversified. For instance, for monitoring the large scale and active natural environments by multipoint sensors [2], time delay for data collection is significantly limited. The long operating life of sensor is required because the battery of a sensor cannot be recharged.

The recent standards of WSN, such as Zigbee [3] and 6low pan [4], are based on packet access. These are suitable for the communication of long life monitoring. In low-power-listening (LPL) MAC [5] protocols, the node and the fusion center construct a sleep time for saving the energy of battery. However, its packet access loses real time property. This is because simultaneous access for using the common channels is not acceptable and distributed access control causes delay [6]. The access protocol delay is also a problem for LPL. The working time of fusion center is shortened, while the collection time of all data increases due to the access protocol delay. Therefore, the collection of sensed data is not completed within the working time. Instead of the packet access, a novel wireless communication method for real time data collection is necessary.

The wireless communication for simultaneous multidata collection (WC-SDC) has been proposed in [7]. The sensed data is directly projected to the parameters of wireless communications (wireless parameters), such as time, frequency, and antenna's number. Each sensor sends the signal whose parameters are determined by the sensed data with a projection rule to the fusion center. The fusion center can recognize the original sensed data in accordance with the projection rule between the sensed data and the wireless parameters from the received signal. When the sensed data are independent in each sensor, the overlap of wireless parameters hardly occurs. Even if the sensors simultaneously...
access the fusion center, each signal projected by the sensed data could be detected separately, due to the independency of the sensed data. Even though the overlap of them occurs, the existence of sensed data can be detected. The data cannot be detected separately but the distribution of them can be detected. Therefore, the WC-SDC achieves the multidata collection in real time. Since the WC-SDC can collect the multiple signals from sensors, instantaneously, the fusion center and the sensor node can work for a short time in LPL MAC protocol. As a result, the WC-SDC contributes the long operating life in WSN.

The sensed data have some specific features, such as temporal continuity and the limited dynamic range. Therefore, a tracking technique, such as Kalman filtering [8], which is used for detecting the temporal continuity, can decompose each piece of sensed data from the signal transmitted by the WC-SDC. A concrete decomposing method for the WC-SDC into each piece of the sensed data has not been considered, yet. In Kalman filtering, its filter coefficients are constructed in real time, and thus the real time property achieved by the WC-SDC remains. Since the tendency analysis of each sensor's data is available from the decomposed data, the applications of the sensor networks with the WC-SDC are more widely spread.

The vulnerable points of data separation in the WC-SDC are the flickers of wireless parameters and the method of error tracking. When the orthogonal subcarriers are used for the WC-SDC like the orthogonal frequency division multiplexing (OFDM) [9], the frequency offset of local oscillators between a transmitter and a receiver causes the distortion of orthogonality. As a result, frequency components on the side lobe can be detected and thus noisy components clinging around the sensed data appear, where the noise components are referred to as image data. This leads to the misunderstanding of data. If two or more pieces of sensed data are near each other, the Kalman filter could not trace each data sequence. The data separation is failed, where this event is referred to as error tracking. Therefore, the solutions against the flickers of wireless parameters and error tracking are necessary for the WC-SDC.

This paper evaluates the accuracy of data separation by Kalman filtering [8] in the WC-SDC. To avoid error tracking, we propose the reexamination of the tracking based on the continuity of the slope with the data sequence. Since the past data are necessary for evaluating the slope of the data sequence, the proposed technique causes the processing delay. As a result, error tracking is not removed in real time and the detection error occurs. Since the processing delay is depended on the memory size for storing the past data, we clarify the appropriate memory size from the numerical results. In addition, we propose the two solutions against the frequency offset problem. The first one is the margin of decision threshold. If the decision threshold is so high that the noisy components caused by frequency offset cannot be detected, the image data do not appear and the sensitivity to the weak power signals is degraded. The second solution is the use of multiple receiving antenna. The multiple reception of signals acquires the receiving diversity gain [10]. Therefore, both solutions are effective for suppressing the noisy components and preserving the high sensitivity of desired components. For clarifying the effect of our proposed techniques, we perform evaluations combining the indoor experiment for multiple temperature sensors with computer simulation for wireless communication systems. From the numerical results, the accuracy of the data separation and the impact of the frequency offset to the separation are clarified. In addition, we confirm the effect of the two considered separations against the frequency offset problem.

The rest of the paper is organized as follows. In Section 2, we describe the overview of the WC-SDC. In Section 3, we describe how to decompose each piece of sensed data by using the Kalman filter and the reexamination of tracking for avoiding error tracking. In Section 4, we describe the impact of frequency offset to the WC-SDC and the proposed solutions for the frequency offset. In Section 5, we show the constructed measurement for numerical evaluation. In Section 6, we show the numerical results of the WC-SDC under the evaluation combined environment between indoor experiment and computer simulation. In Section 7, we describe the conclusion of this paper and the future work of the WC-SDC.

2. Overview of Wireless Communication for Simultaneous Multidata Collection: WC-SDC

This paper considers that single fusion center (FC) collects the sensed data from all the sensors by wireless communication. The network style is the star topology. Figure 1 shows the system model of the considered wireless sensor network. Figure 2 shows the overview of the WC-SDC, which is the frequency projection type. After the sensed data is quantized, the carrier whose frequency corresponded to the sensed data is transmitted. For selecting the frequency of carrier, we use the inverse fast Fourier transform (IFFT) like the orthogonal frequency division multiplexing (OFDM). The IFFT point number corresponding to the sensed data is selected and \( 1 + 0 j \) is set to it. Zeros are set to the other IFFT point number. After IFFT, the carrier signal whose frequency is

\[ 1 + 0 j \]

is set to it. Zeroes are set to the other IFFT point number. After IFFT, the carrier signal whose frequency is
corresponded to the sensed data is obtained. The constructed signal is upconverted by local oscillator and then transmitted from antenna.

In FC, after downconversion by the local oscillator, the frequency components of the received signal are detected by FFT. If the receiver is equipped with the multiple receiving antennas, the process of detecting the frequency components is performed in parallel. The square of frequency components is calculated for obtaining the power of each signal. After that, the powers of frequency components from all the receiving antennas are combined, together. The IFFT point number selected by the transmitter is recognized by comparing each power of frequency component with the certain threshold in FC. Therefore, the threshold setting is required and the detail setting method is described in the later section. As a result, the FC can recognize the sensed data from the detected point number in accordance with the projection rule between the point number and the sensed data. After FC continuously detects the sensed data, it recognizes that the detected results are composed of multiple data sequences. The data tracking is used for decomposing each data sequence.

3. Data Tracking of Kalman Filter

This paper decomposes each piece of sensed data from the frequency components with Kalman filter [8].

Kalman filter evaluates the time transition of each data and thus obtains the time-smoothest data sequence. The FC collects the data with the WC-SDC, and then it decomposes each data sequence by Kalman filter.

3.1. Model of Kalman Filter. Figure 3 shows the processing flow of the considered Kalman filter.

All the sensor nodes inform the FC about the sensed data, periodically, where the minimum time duration of the informing period is defined as slot. In FC, the sensed data are detected from the received signal by the decision threshold. In kth time slot, the sequence of detecting the sensed data is defined as $\mathbf{d}_k \in \mathbb{R}^M$, where $M$ is the number of pieces of detected data.

In kth time slot, the a priori estimated statement is $\mathbf{x}_{k|k-1} \in \mathbb{R}^2$, where its initial value is $\mathbf{x}_{0|-1} = [d_0(i), \Delta y]^T$, $d_0(i)$ is the ith detected data ($i \in 0, 1, \ldots, M-1$) in 0th time slot, $\Delta y$ is the amount of change per one slot for the detected data, and $[\cdot]^T$ is the transpose of matrix, respectively. The model of observation is $\mathbf{h}$ and the stationary process for time. Therefore, the estimation of detected data, $\lambda_k$, is defined as

$$\lambda_k = \mathbf{h} \mathbf{x}_{k|k-1}. \quad (1)$$

The most appropriate data is selected from $\mathbf{d}_k$ by following the data selection rule and it is the output of Kalman filter

$$y_k = d_k(i^*),$$
$$i^* = \arg \min_i |d_k(i) - \lambda_k|. \quad (2)$$

Next, the Kalman gain is derived for estimating the statement and defined as

$$K_k = \mathbf{S}_{k|k-1} \mathbf{h}^T \left(\mathbf{h} \mathbf{S}_{k|k-1} \mathbf{h}^T + \mathbf{V}\right)^{-1}, \quad (3)$$

where $\mathbf{S}_{k|k-1}$ is the a priori covariance matrix of the statement, $\mathbf{S}_{0|0} = \mathbf{QI}$, and $\mathbf{V}$ is the constant value. $\mathbf{S}_{k|k-1}$ and $\mathbf{S}_{0|0}$ are the power of noise included in the detected data and $\mathbf{V}$ is constant value.
The a posteriori covariance matrix is updated as follows:

$$\Sigma_{k|k} = \Sigma_{k|k-1} - K_k h \Sigma_{k|k-1}.$$  \hspace{1cm} (4)

Therefore, the covariance matrix in the next time slot is

$$\Sigma_{k+1|k} = F \Sigma_{k|k} F^T + \Sigma_n,$$  \hspace{1cm} (5)

where \( F \) is the model of environment and \( \Sigma_n \) is the power of noise included in the estimation of statement. From (3) to (5), the Kalman gain is updated at every time slot.

From the obtained Kalman gain, the a posteriori statement, \( \hat{x}_{k|k} \), is

$$\hat{x}_{k|k} = \hat{x}_{k|k-1} + K_k \left( y_k - h \hat{x}_{k|k-1}, \Delta y \right)^T.$$  \hspace{1cm} (6)

Therefore, the a priori statement in the next time slot, \( \hat{x}_{k+1|k} \), is

$$\hat{x}_{k+1|k} = F \hat{x}_{k|k}.$$  \hspace{1cm} (7)

After that, the estimation of statement is moved to that of the \( k + 1 \) time slot.

3.2. Error Tracking. In Figure 4, when the two data sequences are near together or crossed each other, the two results of data tracking wrongly become one data sequence. It is error tracking. For avoiding the error tracking, we pay attention to the temporal continuity of slope in data sequence. We propose the following algorithm based on the temporal continuity of slope.

(1) After Kalman filter, the estimated data sequence, \( y_k \), is memorized in the first in first out (FIFO) memory, where the memory size is \( M \times L \), where \( L \) is the size of memory per one data sequence.

(2) In each time slot, before Kalman filtering, the FC counts the kinds of sensed data, where the number of pieces of sensed data is \( M_{\text{post}} \).

(3) After Kalman filter, the FC also counts the kinds of sensed data, where the number of pieces of sensed data is \( M_{\text{post}} \).

(4) If \( M_{\text{pri}} > M_{\text{post}} \), the detected data are merged by Kalman filter, where the first event time of the data merging is referred to as Turning Point (TP). If TP appears, the FC recognizes which data sequences are merged and then obtains \( s \) composed of the merged data sequence number, where the size of \( s \) is \( N \). The components of merged data sequence are selected from \( y_k \) and thus \( y_k^r \in R^N \) are obtained.

(5) Average slope: the FC evaluates the average slope before TP, \( \delta_{\text{pri}} \), as follows:

$$\delta_{\text{pri}} = \sum_{i=0}^{L-1} \left( y_k^r - y_{k-1}^r \right),$$  \hspace{1cm} (8)

where \( \delta_{\text{pri}} \in R^N \).
(6) Kalman filter for second rank: in (2), the selection criterion is changed from the minimum distances between the detected data \( d_k(i) \) and the estimated data \( \lambda_k \) into the second minimum distance between them. In the Kalman filter of the second rank, after \( J \) time slots, the selection criterion is restored to the minimum distance. After TP, we have two tracking results, \( y_{1,k}' \in R^N \) and \( y_{2,k}' \in R^N \), where the former and the latter are the results by Kalman filters of the first and the second rank, respectively.

(7) The FC counts the number of events to merge the detected data, where the number of events is \( q \).

(8) If \( q = Q \), the FC recognizes that the error tracking occurs, so its recovering process is started. If \( M_{\text{post}} > M_{\text{pri}} \) is resolved before \( q \geq Q \), the FC recognizes that TP disappears.

(9) Recovering process of error tracking: the FC can obtain the two average slopes after TP as follows:

\[
\delta_{1,\text{post}} = \sum_{i=1}^{Q} (y_{1,k+Q} - y_{1,k+Q-i}) \]

\[
\delta_{2,\text{post}} = \sum_{i=1}^{Q} (y_{2,k+Q} - y_{2,k+Q-i}) \]

(10) If the following equation in \( l \)th \((l \in s)\) tracking result stood, the data exchange, \([y_{1,k}(l), y_{1,k+1}(l), \ldots, y_{1,k+Q-1}(l)] \rightarrow [y_{2,k}(l), y_{2,k+1}(l), \ldots, y_{2,k+Q-1}(l)]\), is performed:

\[
|\delta_{1,\text{post}}(l) - \delta_{\text{pri}}(l)| \geq |\delta_{2,\text{post}}(l) - \delta_{\text{pri}}(l)|, \]

where \( y_{1,k}(l) \) is the \( l \)th component of \( y_{1,k} \) and \( \delta_{\text{pri}}(l) \), \( \delta_{1,\text{post}}(l) \), and \( \delta_{2,\text{post}}(l) \) are the \( l \)th components of \( \delta_{\text{pri}} \), \( \delta_{1,\text{post}} \), and \( \delta_{2,\text{post}} \), respectively.

As a result, the similarity between the averaged slopes of the prior TP and the a posteriori TP is maintained. Each data sequence is decomposed and thus the error tracking is decompensated. However, the proposed solution of error tracking causes the processing delay. Therefore, the error tracking cannot be removed in real time. Since the amount of processing delay depends on the size of memory, \( L \), we consider that the adequate \( L \) is clarified in the numerical results.

4. Counter Measure of Frequency Offset

Figure 5 shows the detected frequency spectra of one carrier after FFT in FC, where the frequency offset does not occur and does occur, respectively. If the decision threshold (A) is selected, the components of side lobe are detected and thus the image data appear. On the other hand, if the decision threshold (B) is selected, these do not appear. However, when the fluctuation of signal power occurs by the multipath fading, the misdetection of desired spectrum occurs. Therefore, the adequate threshold for detecting the desired spectrum but not detecting the noisy components should be constructed. In this paper, the construction of decision threshold is considered in computer simulation.

If the multiple receiving antenna is available, the receiving diversity gain can be obtained [10]. In the receiving diversity, when the received signals from antenna are combined together or adaptively selected, the probability of obtaining the large power of received signal is enlarged. The receiving diversity gain is defined as its enlargement and increased as the number of antennas becomes large. For obtaining full diversity gain, the matched filter to the channel transfer function between transmitter and receiver is necessary [11], where the channel transfer function is derived by the Fourier transform of the channel time impulse response. For simplicity, our proposed system does not use the matched
5. Measurement Environment

This research constructs the evaluation system integrating the indoor experiment with the computer simulation. In indoor experiment, the five temperature monitors (EM-SD) are used as the sensor nodes, where these monitors records the sensed data in flush memory. Figure 6 shows the location of five monitors in indoor environment. In each sensor, the temperature is detected every 20 seconds and then the sensed data is recorded in the flush memory. The measurement time is 30 minutes and thus the number of pieces of the obtained data in each sensor is 90, where the record format is CSV. In 1 minute after the start, the oil heater is worked for enlarging the temperature. The location of oil heater is shown in Figure 6.

The wireless communication environment is simulated by computer. In the computer simulation, each sensor node transmits the recorded data to the fusion center through the wireless communication channel. For the WC-SDC, the number of FFT points is 512 and the dynamic range of temperature is limited from 0 degrees to 51.2 degrees. The quantization level is 0.1 degrees. The channel from each node to FC is modeled by independent Rayleigh fading. The frequency flat fading is assumed because each sensor uses one subcarrier and the constructed signal is so narrow that the fading coefficient is constant for one subcarrier. For every 20 seconds, the independent fading occurs. For detecting the frequency component, the threshold for achieving $10^{-4}$ false
alarm is calculated, which is defined as $\eta_0$. When we use $\alpha$ ($0 < \alpha$) as the coefficient for deciding the margin level of threshold, the decision threshold is derived as $\alpha \eta_0$. Therefore, as $\alpha$ becomes larger, the margin for the noisy components becomes large but the margin for the desired component becomes small. The frequency offset is normalized by the frequency bandwidth of one subcarrier. In this numerical evaluation, the normalized frequency offset is 0.05 except for Figures 7 and 11.

The initial parameters of Kalman filter are used as follows:

$$
F = \begin{bmatrix}
1 & 1 \\
1 & 0
\end{bmatrix}, \quad h = [1, 0]^T, \\
V = 0.01, \quad Q = 1, \quad \hat{\Sigma}_n = \begin{bmatrix}
0.05 & 0 \\
0 & 0.05
\end{bmatrix}.
$$

In the proposed algorithm for avoiding the error tracking, the memory size, $L$, the time slots for using the Kalman filter based on second rank, $J$, and the recognition parameter of error tracking, $Q$, are equal to each other, and these are decided by $N_d$. Therefore, $N_d = L = J = Q$.

We assume the real time separation of data sequence. Therefore, even when the proposed technique can detect the error tracking, it cannot compensate the error tracking in past data.

**6. Numerical Results**

6.1. Error Tracking and Solution. Figure 7(a) shows the log data of sensed temperature in each sensor. We can see the temperature of node #2 is dramatically increased after

![Figure 7: Decomposing results of data collected by WC-SDC.](image)

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**6. Numerical Results**

6.1. Error Tracking and Solution. Figure 7(a) shows the log data of sensed temperature in each sensor. We can see the temperature of node #2 is dramatically increased after
about 100 seconds. This is because node #2 is near the oil heater so oil heater is worked after 1 minute from the start of examination. In addition, all the sensed data have the increasing tendency because the oil heater spreads the heated air over the room. Figures 7(b) to 7(e) show the tracking results, where the signal to noise power ratio (SNR) is 40 dB and the number of receiving antennas is two. “Conventional” and “proposed” mean the results without the proposed solution for the error tracking and with it, respectively. In the proposed method, as shown in Figures 7(c) to 7(e) \( N_d \) are 2, 4, and 6, respectively. In these results, the normalized frequency offset is zero.

In Figure 7(b), the error tracking between nodes #3 and #4 occurs after 750 seconds. From the original data as shown in Figure 7(a), the temperature difference between two data sequences is small. Kalman filter uses the minimum difference of temperature transition as the criterion of tracking. After cross point, the Kalman filter easily traces one sequence after crossover point. Therefore, the error tracking occurs. On the other hand, in proposed technique, from Figures 7(c), 7(d), and 7(e), the error tracking is avoidable. However, around 750 sec, the two results of #3 and #4 wrongly become the same data sequence. When \( N_d \) becomes larger, the duplicated tracking becomes longer. This reason is as follows. There are some events of the small error tracking whose samples are 2 or 3. Therefore, the small error tracking cannot be detected by the proposed method with large \( N_d \). In addition, as \( N_d \) becomes larger, the processing delay of proposed technique becomes large. Therefore, the difference between the detected data in the real time and the original one occurs. The smallest \( N_d \) is the most sensitive of error tracking and thus \( N_d = 2 \) achieves the better tracking results.

For evaluating the fidelity of tracking results to the original data, the mean absolute error (MAE) is defined as follows:

\[
MAE = E \left[ \frac{1}{TM} \sum_{k=0}^{M-1} \sum_{j=0}^{T-1} \left| y_k(i) - \overline{y_k(i)} \right| \right],
\]

where \( M \) is the number of sensor nodes, \( T \) is the number of total samples for the whole time measurement, and \( \overline{y_k(i)} \) is the original data of \( i \)th data tracking in \( k \)th time slot, respectively.

Since the proposed solution with \( N_d = 2 \) achieves the minimum MAE, we use \( N_d = 2 \) in the following results.

6.2. Impact of Frequency Offset and Solution. Figure 8 shows the detected results in the WC-SDC when the normalized frequency offset is 0.05. Note that Kalman filtering is not performed in these results. In Figures 8(a) and 8(b), the margins of decision threshold, \( \alpha \), are 1 and 7, respectively. In \( \alpha = 1 \), the noise components appear around the desired sensed data, but in \( \alpha = 7 \), these disappear. Therefore, we confirm the margin of decision threshold is effective for suppressing the noise component caused by frequency offset.

Figures 9 and 10 show the performance between the margin of decision threshold, \( \alpha \), and MAE, where the numbers of receiving antennas are 2 and 4, respectively. “Ideal” indicates that after all the sensors perfectly inform the sensed data to the FC without any distortion through the wireless channel, the Kalman filter is performed. For comparison, the MAE of “ideal” is constant for any \( \alpha \).

In Figure 9, SNRs have 20 dB, 25 dB, 30 dB, 35 dB, and 40 dB, respectively. From this figure, each performance takes
the concave tendency for the margin threshold, \( \alpha \). When \( \alpha \) is small, the threshold is set under the noisy components caused by frequency offset. On the other hand, when \( \alpha \) is large, the margin for the desired components is small and thus the misdetection, where the sensor cannot detect the sensed data, occurs. Therefore, \( \alpha \) is adaptively adjusted for minimizing MAE. Even if the optimization of \( \alpha \) and the large SNR are obtained, the MAE is not as large as that of “ideal.” As SNR becomes larger, not only the desired signal power but also the power of noisy components caused by frequency offset becomes larger. Therefore, the sensitivity to desired component is not improved when the required margin \( \alpha \) becomes large.

In Figure 10, when SNRs are 20 and 22 dB, the best MAE of proposed technique is as large as that of “ideal.” As the number of antennas becomes large, not only the reduction of the required SNR but also the good MAE performance is achieved. Since the receiving diversity gain is increased due to increasing the number of receiving antennas, the power of desired components is maintained at high level but the noisy component caused by frequency offset is not enlarged. Therefore, even when the decision threshold is large for avoiding the detection of noisy components, the misdetection is avoidable. Since the proposed technique with \( \alpha = 2 \) achieves best MAE, we use \( \alpha = 2 \) in the following result.

Figure 11 shows the performance between the normalized frequency offset and MAE, where “conventional” and “proposed” are the results with single antenna and SNR = 50 dB and four antennas and SNR = 20 dB, respectively. The proposed technique uses \( \alpha = 2 \). From this figure, “conventional” cannot achieve the MAE of “ideal.” The MAE of “proposed” is as large as that of “ideal” when the normalized frequency offset is 7%. If the slight degradation of MAE, which is exactly \( 4 \times 10^{-3} \), is accepted, 10% normalized frequency offset is acceptable. Therefore, our proposed technique can achieve the high robustness of the frequency offset.

7. Conclusions

This paper evaluated the accuracy of data separation by Kalman filter in the wireless sensor networks for the simultaneous multidata collection. For avoiding the error tracking, where the two data sequences wrongly become one data sequence, we propose the algorithm for evaluating the slope of the continuity of the sensed data. For compensating the degrading of the tracking performance by the frequency offset, we propose the margin of decision threshold and the receiving diversity. From the numerical results, even when the frequency offset occurs, our proposed technique achieves the highly accurate data decomposition.

It is important future work that a WC-SDC is applied to various kinds of sensors, such as pressure, motion sensor, and seismic intensity. In addition, for evaluating the performance of real time or processing delay, the implementations of the WC-SDC and the Kalman filter with the proposed method are necessary and also important future work.

Conflict of Interests

The authors declare that there is no conflict of interests regarding the publication of this paper.
Figure 11: Performance between normalized frequency offset and MAE.

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